
**** NCP1380 Inductor and Losses calculation for adapter ****
 ** ////////////////////////////////////// **
 ** Made by Stéphanie CONSEIL
 ** Rev: 2.0 12/22/2011
 ** Modifications: Version for WEB release
 Corrected BO resistors calculation and OPP
 Corrected Fsw calculation for Pout_limit

HOW TO USE THE SPREADSHEET

This spreadsheet will calculate for you every parameter needed to design a power supply using the NCP1380 or the NCP1379.
The zones underlined in pink need data from the user.
 The zones underlined in yellow are calculation results.

INPUT DATA

Minimum AC input voltage: $V_{IN_{min}} := 85$ Maximum AC input voltage: $V_{IN_{max}} := 265$
 Maximum output power: $P_{out} := 60$ Output voltage: $V_{out} := 19$
 Estimated efficiency: $\eta := 0.85$ Output diode forward voltage: $V_f := 0.8$

Switching frequency at maximum output power, low line: $F_{sw} := 45000$

Mosfet Coss: $C_{OSS} := 250 \cdot 10^{-12}$

MOSFET R_{dson} at T_j = 110 °C: $R_{dson110} := 0.77$

Bulk voltage ripple: $V_{BulkRipple} := 20$

$V_{IN_{min}DC} := V_{IN_{min}} \cdot \sqrt{2}$

$V_{CSmax} := 0.8$

$V_{IN_{max}DC} := V_{IN_{max}} \cdot \sqrt{2}$ $I_{out} := \frac{P_{out}}{V_{out}}$

Minimum DC voltage including bulk ripple (for transformer calculation):

$V_{min} := V_{IN_{min}DC} - V_{BulkRipple}$ $V_{min} = 100.208$

Total Propagation delay time: $t_{prop} := 150 \cdot 10^{-9}$

Primary to secondary turn ratio calculation (N_{ps}=N_s/N_p)

MOSFET breakdown voltage: $BV_{dss} := 650$

Derating factor for the MOSFET breakdown voltage: $\alpha := 0.85$

Leakage inductance ratio ($k_{leak} = L_{leak} / L_p$) $k_{leak1} := 0.005$ $k_{leak2} := 0.008$

$k_{leak3} := 0.01$

Clamping diode recovery time overshoot: $V_{os} := 20$

$V_{DSmax} := BV_{dss} \cdot \alpha$

$V_{DSmax} = 552.5$

$$P_{cond}(k_c) := \frac{4}{3} \cdot R_{dson110} \cdot \frac{P_{out}^2}{\eta^2 \cdot V_{min}} \left[\frac{1}{V_{min}} + \frac{k_c}{(V_{DSmax} - V_{IN_{maxDC}} - V_{os})} \right]$$

$$P_{cond2}(k_c) := \frac{4}{3} \cdot 1.2 \cdot \frac{P_{out}^2}{\eta^2 \cdot V_{min}} \left[\frac{1}{V_{min}} + \frac{k_c}{(V_{DSmax} - V_{IN_{maxDC}} - V_{os})} \right]$$

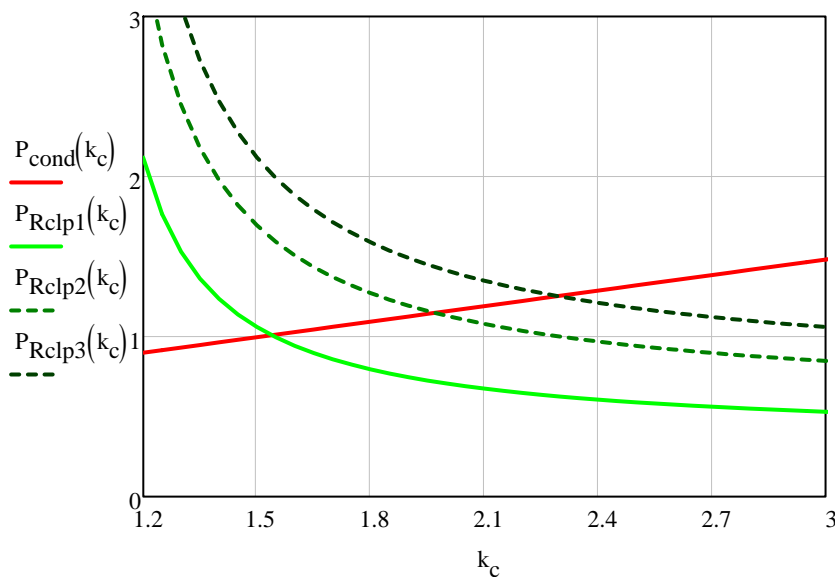
$$P_{Rclp1}(k_c) := k_{leak1} \cdot \frac{P_{out}}{\eta} \cdot \frac{k_c}{k_c - 1}$$

$$P_{Rclp2}(k_c) := k_{leak2} \cdot \frac{P_{out}}{\eta} \cdot \frac{k_c}{k_c - 1}$$

$$P_{Rclp3}(k_c) := k_{leak3} \cdot \frac{P_{out}}{\eta} \cdot \frac{k_c}{k_c - 1}$$

$k_c := 1.2, 1.25 \dots 4$

The losses caused by the clamping resistor are plotted below for different value of kleak.



From above graph, enter the value for the clamping coefficient:

Clamping coefficient ($k_c = V_{clamp} / V_{reflect}$): $k_c := 2$

$$N_{ps} := \frac{k_c \cdot (V_{out} + V_f)}{(BV_{dss} \cdot \alpha - V_{os} - V_{IN_{maxDC}})} \quad N_{ps} = 0.251$$

Enter your value for Nps: $N_{ps} := 0.25$

Ipk and Lp calculation including the dead-time

$$I_{pk} := \frac{2 \cdot P_{out}}{\eta} \cdot \left(\frac{1}{V_{min}} + \frac{N_{ps}}{V_{out} + V_f} \right) + \pi \sqrt{\frac{2 \cdot P_{out} \cdot C_{OSS} \cdot F_{sw}}{\eta}} \quad I_{pk} = 3.317$$

$$L_p := \frac{2 \cdot P_{out}}{I_{pk}^2 \cdot \eta \cdot F_{sw}} \quad L_p = 2.852 \times 10^{-4}$$

Enter your value for Lp: $L_p := 285 \cdot 10^{-6}$

$$R_{sense1} := \frac{V_{CSmax}}{I_{pk}} \quad R_{sense1} = 0.241$$

Enter the normalized value for Rsense: $R_{sense} := 0.23$

Primary and secondary rms current calculation

$$T_{on_{max}} := \frac{I_{pk} \cdot L_p}{V_{min}} \quad T_{on_{max}} = 9.433 \times 10^{-6}$$

$$D_{max} := T_{on_{max}} \cdot F_{sw} \quad D_{max} = 0.424$$

$$I_{p_{RMS}} := I_{pk} \cdot \sqrt{\frac{1 \cdot D_{max}}{3}} \quad I_{p_{RMS}} = 1.248$$

$$I_{ps} := \frac{I_{pk}}{N_{ps}} \quad I_{ps} = 13.266$$

$$I_{s_{RMS}} := I_{ps} \cdot \sqrt{\frac{1}{3} \cdot (1 - D_{max})} \quad I_{s_{RMS}} = 5.811$$

$$I_{priDC} := I_{pk} \cdot \frac{D_{max}}{2} \quad I_{priDC} = 0.704$$

$$I_{priAC} := \sqrt{I_{p_{RMS}}^2 - I_{priDC}^2} \quad I_{priAC} = 1.03$$

Auxiliary winding turn ratio

Desired value for VCC: $V_{CC} := 14$

$$N_{aux} := \frac{N_{ps} \cdot (V_{CC} + V_f)}{V_{out} + V_f} \quad N_{aux} = 0.187$$

Output capacitor calculation

Desired Output voltage ripple: $V_{\text{ripple}} := 0.4$

$$R_{\text{ESR}} := \frac{V_{\text{ripple}}}{I_{\text{p}_s}}$$

$$R_{\text{ESR}} = 0.03$$

$$I_{\text{CoutRMS}} := \sqrt{I_{\text{sRMS}}^2 - I_{\text{out}}^2}$$

$$I_{\text{CoutRMS}} = 4.878$$

Enter your choice of output capacitor:

Panasonic serie FM: Two 680 uF cap (3.29 A, 16m, 35 V)

$$C_{\text{out}} := 1360 \cdot 10^{-6}$$

$$R_{\text{ESR}} := 8 \cdot 10^{-3}$$

Timing capacitor calculation

$$I_{\text{Ct}} := 20 \cdot 10^{-6}$$

$$V_{\text{FB1}} := 0.8$$

$$V_{\text{FB2}} := 1.4$$

$$T_{\text{sw_4th}} := \left[\left(\frac{V_{\text{FB1}}}{4R_{\text{sense}}} + V_{\text{IN_maxDC}} \cdot \frac{t_{\text{prop}}}{L_{\text{p}}} \right) \cdot L_{\text{p}} \cdot \left(\frac{1}{V_{\text{IN_maxDC}}} + \frac{N_{\text{ps}}}{V_{\text{out}} + V_{\text{f}}} \right) \right] + 7\pi \cdot \sqrt{L_{\text{p}} \cdot C_{\text{OSS}}}$$

$$T_{\text{sw_4th}} = 1.052 \times 10^{-5}$$

$$V_{\text{Ct}} := 6.5 - \left(\frac{10}{3} \right) \cdot V_{\text{FB2}}$$

$$V_{\text{Ct}} = 1.833$$

$$C_{\text{t}} := \frac{I_{\text{Ct}} \cdot (T_{\text{sw_4th}} + 10 \cdot 10^{-6})}{V_{\text{Ct}}}$$

$$C_{\text{t}} = 2.239 \times 10^{-10}$$

Designer value for Ct:

$$C_{\text{t}} := 200 \cdot 10^{-12}$$



Switching frequency versus output power at a given input voltage

* The function named "Chrono" below allows to calculate the peak current and the switching frequency for a defined output power and for a defined valley.

INPUTS: - Pout: the output power

- k: the operating valley (1st valley: k=0, 2nd valley: k=1, 3rd valley: k=2, 4th valley: k=3)

- VIN: the input voltage in DC

OUTPUT: a two line vector containing the peak current (1st line) and the switching frequency (2nd line)

$$t_{\text{x}} := \pi \cdot \sqrt{L_{\text{p}} \cdot C_{\text{OSS}}}$$

$$\begin{aligned}
\text{chrono}(P_{\text{out}}, k, V_{\text{IN}}) := & \left[\begin{array}{l}
n \leftarrow k \\
a \leftarrow \frac{L_p \cdot \eta}{2 \cdot P_{\text{out}}} \\
b \leftarrow -1 \cdot \left[\frac{L_p}{V_{\text{IN}}} + \frac{N_{\text{ps}} \cdot L_p}{(V_{\text{out}} + V_f)} \right] \\
c \leftarrow -(1 + 2 \cdot n) \cdot t_x \\
\text{delta} \leftarrow b^2 - 4 \cdot a \cdot c \\
I_p \leftarrow \frac{-b + \sqrt{\text{delta}}}{2 \cdot a} \\
F_{\text{sw}} \leftarrow \frac{1}{I_p \cdot \left[\frac{L_p}{V_{\text{IN}}} + \frac{N_{\text{ps}} \cdot L_p}{(V_{\text{out}} + V_f)} \right] + (1 + 2 \cdot n) \cdot t_x} \\
t_{\text{demag}} \leftarrow \frac{I_p \cdot L_p \cdot N_{\text{ps}}}{V_{\text{out}} + V_f} \\
t_{\text{on}} \leftarrow \frac{I_p \cdot L_p}{V_{\text{IN}}} \\
I_{\text{priRMS}} \leftarrow I_p \cdot \sqrt{\frac{t_{\text{on}} \cdot F_{\text{sw}}}{3}} \\
\left(\begin{array}{c} I_p \\ F_{\text{sw}} \\ t_{\text{demag}} \\ I_{\text{priRMS}} \end{array} \right)
\end{array} \right. \\
\text{chrono}(20.1, 3, 100) = & \left(\begin{array}{c} 1.658 \\ 6.039 \times 10^4 \\ 5.965 \times 10^{-6} \\ 0.511 \end{array} \right)
\end{aligned}$$

* The function below calculate the switching frequency and the corresponding valley for a decreasing output power.

Indeed, as there is hysteresis for the valley lockout, for a given output power, we can have two different couple of (I_p , F_{sw}) delivering the same output power.

INPUTS: - Pmax: the starting output power

- Rsense: sense resistor

- VIN: the DC input voltage

- t_{prop} : the total propagation delay (current sense + MOSFET)

(For this design: 300 ns).

At low line, it can be neglected: put $t_{\text{prop}} = 0$

- decr: decrementing calculation step for the output power

OUTPUT: a matrix containing the switching frequency, the peak current and the operating valley at different output powers.

Line 0: output power

Line 1: peak current

Line 2 : switching frequency

Line 3: valley number

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ZD(Pmax, Rsense, VIN, tprop, decr) :=
  j ← 0
  Vfb ← 3.2
  Pout ← Pmax
  while (Vfb ≥ 1.4)
    n ← 0
    v ← chrono(Pout, n, VIN)
    Vfb ←  $\left( v_0 \cdot R_{sense} - \frac{V_{IN} \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$ 
    (break) if Vfb < 1.4
    m0,j ← Pout
    m1,j ← v0
    m2,j ← v1
    m3,j ← n + 1
    m4,j ← v2
    m5,j ← Rdson110 · (v3)2
    m6,j ←  $\frac{1}{2} \cdot C_{OSS} \cdot \left( V_{IN} - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1$ 
    j ← j + 1
    Pout ← Pout - decr
  while (1.2 ≤ Vfb < 2.0)
    n ← 1
    v ← chrono(Pout, n, VIN)
    Vfb ←  $\left( v_0 \cdot R_{sense} - \frac{V_{IN} \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$ 
    (break) if (Vfb < 1.2) ∨ (Vfb > 2.0)
    m0,j ← Pout
    m1,j ← v0
    m2,j ← v1
    m3,j ← n + 1
    m4,j ← v2
    m5,j ← Rdson110 · (v3)2
    m6,j ←  $\frac{1}{2} \cdot C_{OSS} \cdot \left( V_{IN} - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1$ 
    j ← j + 1
    Pout ← Pout - decr
  while (0.9 ≤ Vfb < 1.8)
    n ← 2

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n ← 3
v ← chrono(Pout, n, VIN)

$$V_{fb} \leftarrow \left( v_0 \cdot R_{sense} - \frac{VIN \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$$

(break) if  $(V_{fb} < 0.9) \vee (V_{fb} > 1.8)$ 
m0,j ← Pout
m1,j ← v0
m2,j ← v1
m3,j ← n + 1
m4,j ← v2
m5,j ← Rdson110 · (v3)2
m6,j ←  $\frac{1}{2} \cdot C_{OSS} \cdot \left( VIN - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1$ 
j ← j + 1
Pout ← Pout - decr
while  $(0.8 \leq V_{fb} < 1.6)$ 
n ← 3
v ← chrono(Pout, n, VIN)

$$V_{fb} \leftarrow \left( v_0 \cdot R_{sense} - \frac{VIN \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$$

(break) if  $(V_{fb} < 0.8) \vee (V_{fb} > 1.6)$ 
m0,j ← Pout
m1,j ← v0
m2,j ← v1
m3,j ← n + 1
m4,j ← v2
m5,j ← Rdson110 · (v3)2
m6,j ←  $\frac{1}{2} \cdot C_{OSS} \cdot \left( VIN - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1$ 
j ← j + 1
Pout ← Pout - decr
Vfb ← 1.38
while  $(0.3 \leq V_{fb} < 1.4) \wedge (Pout > 0)$ 
v ← VCO1(Vfb, VIN, tprop)
Pout2 ← v0
(break) if Pout2 < 0.1
Vfb ← Vfb - 0.02

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(continue) if Pout2 > Pout
m0,j ← Pout2
m1,j ← v1
m2,j ← v2
m3,j ← 1351
m4,j ← v3
j ← j + 1
Pout ← Pout2
m

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Predicting the evolution of the switching frequency

Enter below the input voltage (rms) at which you want to see the frequency evolution (these voltage will also be used for the losses calculation)

VIN_{low} := 115

VIN_{high} := 230

decr_P := $\frac{Pout}{60}$

PatVINminD := Z_D(Pout, Rsense, VIN_{low}·√2, t_{prop}, decr_P)

PatVINminD =

	0	1	2	3	4
0	60	59	58	57	56
1	2.799	2.755	2.71	2.666	2.622
2	6.323·10 ⁴	6.419·10 ⁴	6.518·10 ⁴	6.621·10 ⁴	6.726·10 ⁴
3	1	1	1	1	1
4	1.007·10 ⁻⁵	9.913·10 ⁻⁶	9.753·10 ⁻⁶	9.594·10 ⁻⁶	9.434·10 ⁻⁶
5	0.624	0.604	0.584	0.564	0.545
6	0.055	0.056	0.057	0.058	0.059

PatVINmaxD =

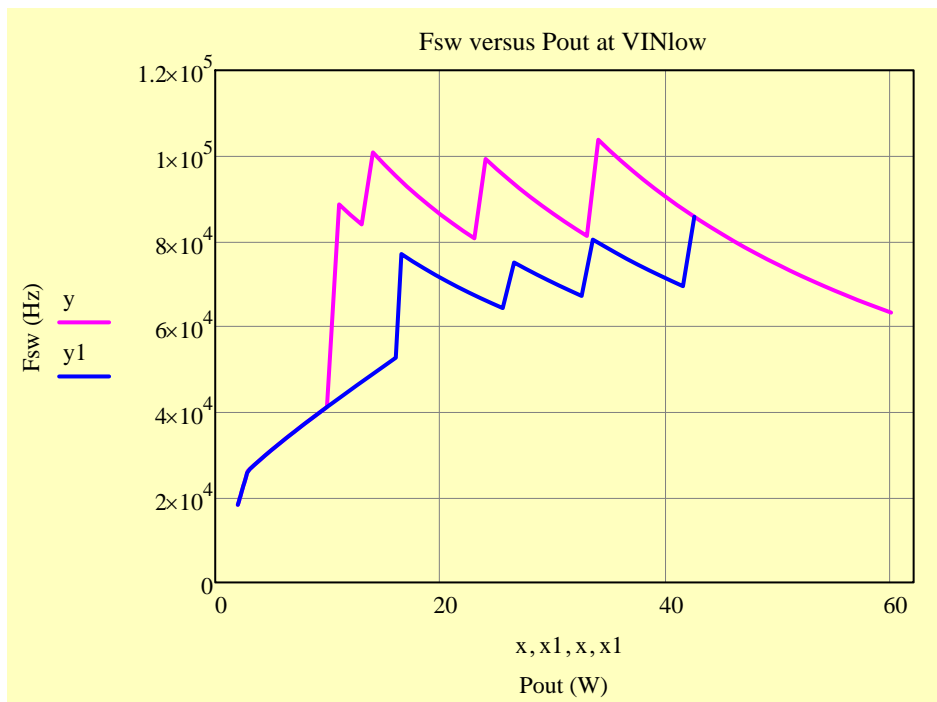
	0	1	2	3	4
0	60	59	58	57	56
1	2.39	2.353	2.316	2.279	2.242
2	8.67·10 ⁴	8.796·10 ⁴	8.927·10 ⁴	9.061·10 ⁴	9.2·10 ⁴
3	1	1	1	1	1
4	8.602·10 ⁻⁶	8.468·10 ⁻⁶	8.334·10 ⁻⁶	8.201·10 ⁻⁶	8.067·10 ⁻⁶
5	0.266	0.258	0.249	0.241	0.233
6	0.656	0.666	0.676	0.686	0.696

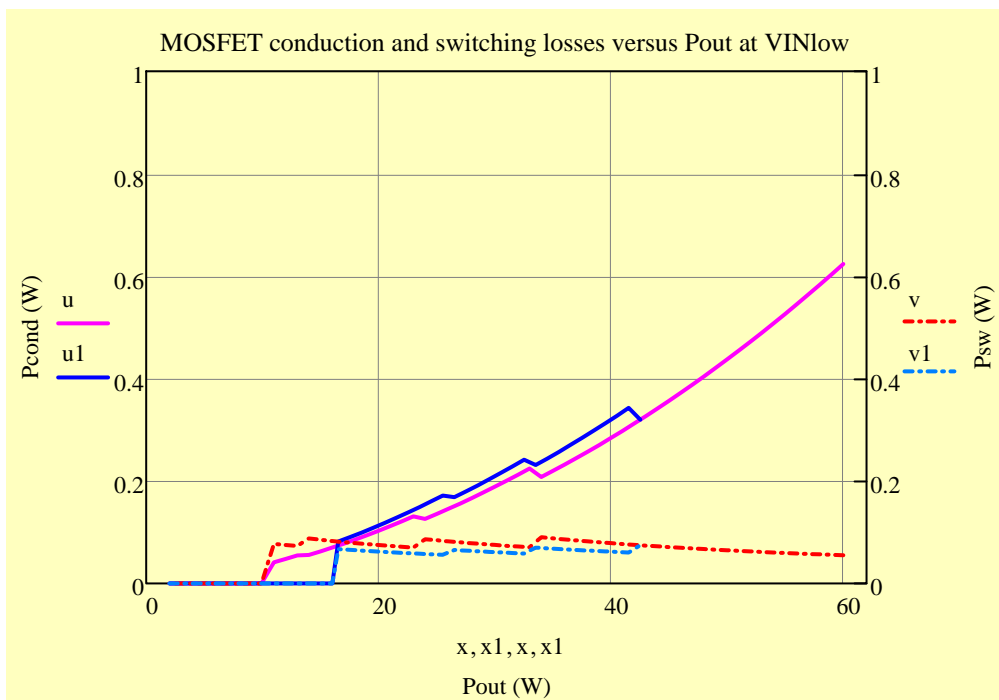
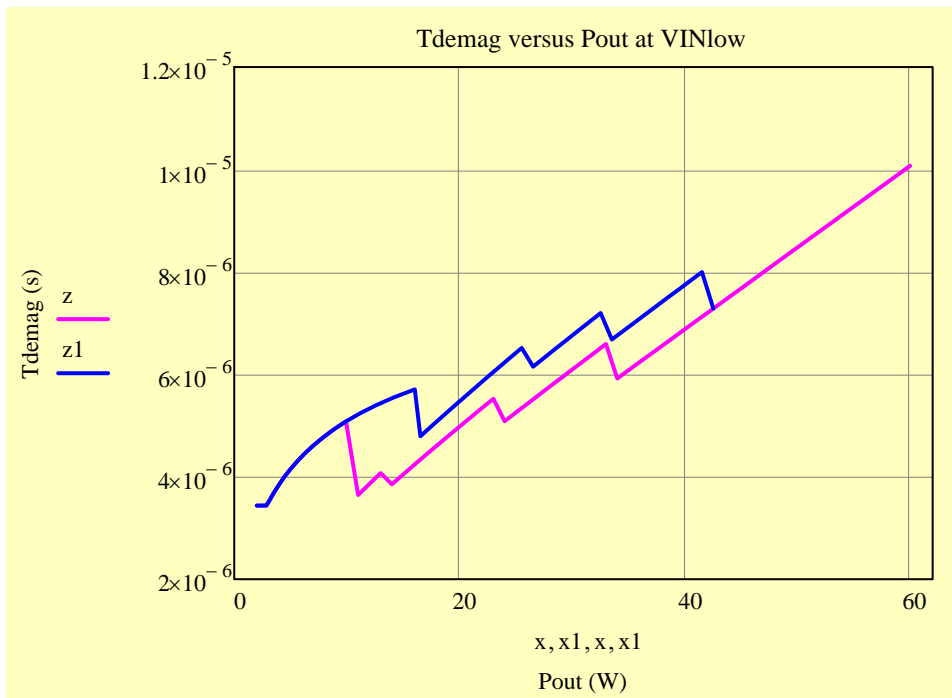
PatVINminI := Z_I(Rsense, VIN_{low}·√2, t_{prop}, decr_P)

	0	1	2	3	4
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	0	1	2	3	4
PatVINminI =	2.009	2.059	2.112	2.167	2.225
	0.955	0.955	0.955	0.955	0.955
	$1.818 \cdot 10^4$	$1.863 \cdot 10^4$	$1.911 \cdot 10^4$	$1.961 \cdot 10^4$	$2.013 \cdot 10^4$
	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$
	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$
	0	0	0	0	0

	0	1	2	3	4
PatVINmaxI =	2.385	2.445	2.507	2.573	2.641
	1.041	1.041	1.041	1.041	1.041
	$1.818 \cdot 10^4$	$1.863 \cdot 10^4$	$1.911 \cdot 10^4$	$1.961 \cdot 10^4$	$2.013 \cdot 10^4$
	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$
	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$
	0	0	0	0	0
	0	0	0	0	0





Note:
 The MOSFET losses (conduction and switching) are calculated only for the quasi-resonant mode from the 1st valley to the 4th valley.
 The losses are not calculated in VCO mode and that's why the curves shows a zero value at low output power.

OPP Calculation

Total propagation delay: $t_{prop_OPP} := 600 \cdot 10^{-9}$

Output power capability at high line:

$$I_{pk_max} := \frac{VCS_{max}}{R_{sense}} + \frac{VIN_{maxDC} \cdot t_{prop_OPP}}{L_p}$$

$$I_{pk_max} = 4.267$$

$$T_{sw_max} := I_{pk_max} \cdot L_p \cdot \left(\frac{1}{VIN_{maxDC}} + \frac{N_{ps}}{V_{out} + V_f} \right) + \pi \cdot \sqrt{L_p \cdot C_{OSS}}$$

$$T_{sw_max} = 1.944 \times 10^{-5}$$

$$P_{out_max} := \frac{1}{2} \cdot L_p \cdot I_{pk_max}^2 \cdot \frac{1}{T_{sw_max}} \cdot \eta$$

$$P_{out_max} = 113.461$$

Output power limit wanted by the power supply designer:

$$P_{out_limit} := 80$$

$$a_{limit} := \frac{L_p \cdot \eta}{2 \cdot P_{out_limit}}$$

$$b_{limit} := -L_p \cdot \left(\frac{1}{VIN_{maxDC}} + \frac{N_{ps}}{V_{out} + V_f} \right)$$

$$c_{limit} := -\pi \sqrt{L_p \cdot C_{OSS}}$$

The corresponding peak current is:

$$I_{pk_limit} := \frac{-b_{limit} + \sqrt{b_{limit}^2 - 4 \cdot a_{limit} \cdot c_{limit}}}{2 \cdot a_{limit}}$$

$$I_{pk_limit} = 3.06$$

The corresponding switching frequency is:

$$F_{sw_limit} := \frac{2 \cdot P_{out_limit}}{L_p \cdot I_{pk_limit}^2 \cdot \eta}$$

$$F_{sw_limit} = 7.054 \times 10^4$$

OPP peak current reduction :

$$OPP := 100 \cdot \left(1 - \frac{I_{pk_limit}}{I_{pk_max}} \right)$$

$$OPP = 28.291 \%$$

Primary to Auxiliary winding (N_{aux}/N_p) turn ratio:

$$N_{aux} := 0.18$$

OPP lower resistor:

$$R_{lowerOPP} := 1000$$

$$V_{OPP} := -VCS_{max} \cdot \frac{OPP}{100}$$

$$V_{OPP} = -0.226$$

Note to the power supply designer:

The maximum OPP voltage that can be applied to the NCP1380 is -0.3 V. Applying OPP voltage lower than -0.3 V can lead to an erratic behavior of the OPP. If the OPP voltage calculated is below this limit, the output power limit must be increased.

$$\text{Ratio} := \frac{-N_{aux} \cdot VIN_{maxDC} - V_{OPP}}{V_{OPP}}$$

$$\text{Ratio} = 297.05$$

$$R_{\text{upperOPP}} := R_{\text{lowerOPP}} \cdot \text{Ratio}$$

$$R_{\text{upperOPP}} = 2.971 \times 10^5$$

RCD clamp calculation

$$V_{\text{clamp}} := (BV_{\text{dss}} \cdot \alpha - V_{\text{os}} - V_{\text{INmaxDC}})$$

$$V_{\text{clamp}} = 157.733$$

We consider the leakage inductance equal to 1% of primary inductance.

$$L_{\text{leak}} := 0.01 \cdot L_p$$

$$R_{\text{clp}} := \frac{2 \cdot V_{\text{clamp}} \cdot \left[V_{\text{clamp}} - \frac{(V_{\text{out}} + V_f)}{N_{\text{ps}}} \right]}{I_{\text{pk}}^2 \cdot L_{\text{leak}} \cdot F_{\text{sw}}}$$

$$R_{\text{clp}} = 1.756 \times 10^4$$

We consider a 20% ripple on V_{clamp} to calculate C_{clp} :

$$C_{\text{clp}} := \frac{V_{\text{clamp}}}{R_{\text{clp}} \cdot F_{\text{sw}} \cdot 0.2 \cdot V_{\text{clamp}}}$$

$$C_{\text{clp}} = 6.327 \times 10^{-9}$$

$$\text{PIV}_{\text{Dclp}} := \frac{(V_{\text{out}} + V_f)}{N_{\text{ps}}} + V_{\text{os}}$$

$$\text{PIV}_{\text{Dclp}} = 99.2$$

Startup resistor calculation

$$I_{\text{CC1}} := 20 \cdot 10^{-6}$$

$$I_{\text{CC2}} := 2 \cdot 10^{-3}$$

$$V_{\text{CCCon}} := 17$$

$$V_{\text{CC}} := 11$$

$$Q_g := 17 \cdot 10^{-9}$$

$$V_{\text{CCoff}} := 9$$

$$t_{\text{reg}} := 10 \cdot 10^{-3}$$

$$T_{\text{startup}} := 3$$

$$C_{\text{vcc1}} := \frac{(I_{\text{CC2}} + Q_g \cdot F_{\text{sw}}) \cdot t_{\text{reg}}}{V_{\text{CCCon}} - V_{\text{CCoff}}}$$

$$C_{\text{vcc1}} = 3.456 \times 10^{-6}$$

Chosen value for C_{vcc1} :

$$C_{\text{vcc1}} := 4.7 \cdot 10^{-6}$$

$$I_{\text{Cvcc1}} := V_{\text{CCCon}} \cdot \frac{C_{\text{vcc1}}}{T_{\text{startup}}}$$

$$I_{\text{Cvcc1}} = 2.663 \times 10^{-5}$$

$$R_{\text{start}} := \frac{V_{\text{INmin}} \cdot \sqrt{2}}{I_{\text{Cvcc1}} + I_{\text{CC1}}}$$

$$R_{\text{start}} = 2.578 \times 10^6$$

$$P_{\text{Rstart}} := \frac{(V_{\text{INmax}} \cdot \sqrt{2} - V_{\text{CC}})^2}{R_{\text{start}}}$$

$$P_{\text{Rstart}} = 0.051$$

*Half wave connexion

$$R_{\text{start2}} := \frac{V_{\text{IN}_{\text{min}}} \cdot \sqrt{2}}{\pi \cdot (I_{\text{Cvcc1}} + I_{\text{CC1}})}$$

$$R_{\text{start2}} = 8.205 \times 10^5$$

$$P_{R_{\text{start2}}} := \frac{\left(\frac{V_{\text{IN}_{\text{max}}} \cdot \sqrt{2}}{\pi} - V_{\text{CC}} \right)^2}{R_{\text{start2}}}$$

$$P_{R_{\text{start2}}} = 0.014$$

Brown-Out Resistors Calculation

dc voltage at which the controller should **start** switching:

$$V_{\text{bulkON}} := 110$$

dc voltage at which the controller should **stop** switching:

$$V_{\text{bulkOFF}} := 70$$

$$I_{\text{BO}} := 10 \cdot 10^{-6} \quad V_{\text{BO}} := 0.8$$

BO bridge lower resistor calculation:

$$R_{\text{BOL}} := \frac{V_{\text{BO}} \cdot (V_{\text{bulkON}} - V_{\text{bulkOFF}})}{I_{\text{BO}} \cdot (V_{\text{bulkON}} - V_{\text{BO}})}$$

$$R_{\text{BOL}} = 2.93 \times 10^4$$

BO bridge lower resistor calculation:

$$R_{\text{BOU}} := \frac{R_{\text{BOL}} \cdot (V_{\text{bulkON}} - V_{\text{BO}})}{V_{\text{BO}}}$$

$$R_{\text{BOU}} = 4 \times 10^6$$

*** MOSFET Heatsink Calculation**

MOSFET C_{OSS} at $V_{\text{ds}} = V_0 = 25 \text{ V}$:

$$C_{\text{OSS}} = 2.5 \times 10^{-10}$$

Power loss at minimum input voltage

$$P_{\text{condMOS}} := R_{\text{dson110}} \cdot I_{\text{PRMS}}^2$$

$$P_{\text{condMOS}} = 1.198$$

Junction temperature for MOS die :

$$T_{\text{jmax}} := 110$$

Ambient temperature :

$$T_{\text{A}} := 50$$

Heatsink calculation :

Junction to case coefficient ($^{\circ}\text{C}/\text{W}$):

$$R_{\theta\text{JC}} := 2.5$$

Case to heatsink coefficient ($^{\circ}\text{C}/\text{W}$):

$$R_{\theta\text{CS}} := 1.6$$

$$R_{\theta\text{SA}} := \frac{T_{\text{jmax}} - T_{\text{A}}}{P_{\text{condMOS}}} - R_{\theta\text{CS}} - R_{\theta\text{JC}}$$

$$R_{\theta\text{SA}} = 45.968$$

*** Output diode heatsink calculation**

Diode forward voltage at low current:

$$V_{\text{fd0}} := 0.62$$

Diode dynamic resistance: $R_d := 0.02$

$$P_{diode} := V_{f_{d0}} \cdot I_{out} + R_d \cdot I_{s_{RMS}}^2 \quad P_{diode} = 2.633$$

Junction temperature for diode die : $T_{j_{max}} := 120$

Ambient temperature : $T_A := 50$

Heatsink calculation :

$$R_{\theta_{JC}} := 2 \quad R_{\theta_{CS}} := 1.6$$

$$R_{\theta_{SAd}} := \frac{T_{j_{max}} - T_A}{P_{diode}} - R_{\theta_{CS}} - R_{\theta_{JC}} \quad R_{\theta_{SAd}} = 22.984$$

Losses calculation

$$I_{pk_low} := Z_D(P_{out}, R_{sense}, V_{IN_{low}} \cdot \sqrt{2}, t_{prop}, decrP)_{1,0} \quad I_{pk_low} = 2.799$$

$$F_{sw_low} := Z_D(P_{out}, R_{sense}, V_{IN_{low}} \cdot \sqrt{2}, t_{prop}, decrP)_{2,0}$$

$$d_{low} := \frac{I_{pk_low} \cdot L_p}{V_{IN_{low}} \cdot \sqrt{2}} \cdot F_{sw_low} \quad d_{low} = 0.31$$

$$I_{p_{RMS_low}} := I_{pk_low} \cdot \sqrt{\frac{d_{low}}{3}} \quad I_{p_{RMS_low}} = 0.9$$

$$I_{s_{RMS_low}} := \frac{I_{pk_low}}{N_{ps}} \cdot \sqrt{\frac{1}{3} \cdot (1 - d_{low})} \quad I_{s_{RMS_low}} = 5.369$$

$$I_{Cout_{RMS_low}} := \sqrt{I_{s_{RMS_low}}^2 - I_{out}^2} \quad I_{Cout_{RMS_low}} = 4.342$$

* Power loss in RCD clamp

$$P_{Clp} := \frac{V_{clamp}^2}{R_{clp}} \quad P_{Clp} = 1.417$$

* Power loss in sense resistor:

$$P_{sense} := R_{sense} \cdot I_{p_{RMS_low}}^2 \quad P_{sense} = 0.186$$

* Power loss in Cout

$$P_{Cout} := R_{ESR} \cdot I_{Cout_{RMS_low}}^2 \quad P_{Cout} = 0.151$$

* Power loss in MOSFET

$$\text{MOSFET } C_{OSS} \text{ at } V_{ds} = V_0 = 25 \text{ V: } \quad C_{OSS} = 2.5 \times 10^{-10}$$

Power loss at minimum input voltage

$$P_{\text{cond1}} := R_{\text{dson110}} \cdot I_{\text{PRMS_low}}^2$$

$$P_{\text{cond1}} = 0.624$$

* **Switching losses**

$$P_{\text{SW1}} := \frac{2}{3} \cdot \left(V_{\text{IN_low}} \cdot \sqrt{2} + \frac{V_{\text{out}} + V_f}{N_{\text{ps}}} \cdot \cos(\pi) \right)^{\frac{3}{2}} \cdot C_{\text{OSS}} \cdot \sqrt{25} \cdot F_{\text{sw}}$$

$$P_{\text{SW1}} = 0.029$$

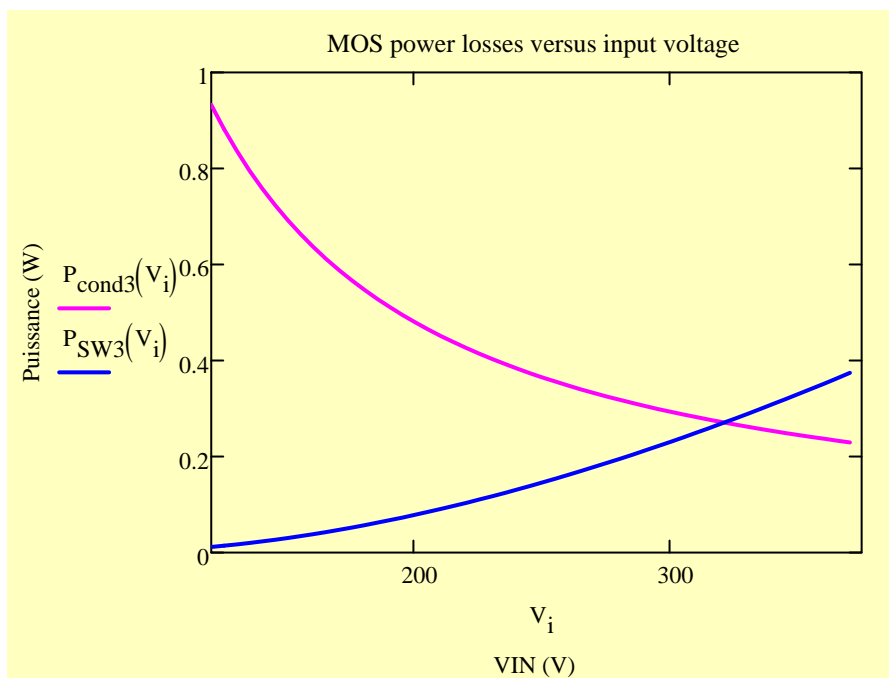
$$P_{\text{MOS1}} := P_{\text{cond1}} + P_{\text{SW1}}$$

$$P_{\text{MOS1}} = 0.652$$

$$V_i := V_{\text{IN_minDC}}, V_{\text{IN_minDC}} + 5 \dots V_{\text{IN_maxDC}}$$

$$P_{\text{SW3}}(V_i) := \frac{2}{3} \cdot \left(V_i + \frac{V_{\text{out}} + V_f}{N_{\text{ps}}} \cdot \cos(\pi) \right)^{\frac{3}{2}} \cdot C_{\text{OSS}} \cdot \sqrt{25} \cdot \left(Z_{\text{D}}(P_{\text{out}}, R_{\text{sense}}, V_i, t_{\text{prop}}, \text{decrP}) \right)_2,$$

$$P_{\text{cond3}}(V_i) := R_{\text{dson110}} \cdot \frac{\left(Z_{\text{D}}(P_{\text{out}}, R_{\text{sense}}, V_i, t_{\text{prop}}, \text{decrP}) \right)_{1,0}^3 \cdot L_p \cdot \left(Z_{\text{D}}(P_{\text{out}}, R_{\text{sense}}, V_i, t_p) \right)}{3 \cdot V_i}$$



* **Power loss in output diode**

Diode forward voltage at low current:

$$V_{f_{d0}} := 0.62$$

Diode dynamic resistance:

$$R_{d_{dv}} := 0.02$$

$$P_{diode} := V_{f_{d0}} \cdot I_{out} + R_d \cdot I_{s_{RMS_low}}^2$$

$$P_{diode} = 2.534$$

Junction temperature for diode die :

$$T_{j_{max}} := 120$$

Ambient temperature :

$$T_A := 50$$

Heatsink calculation :

$$R_{\theta_{JC}} := 2$$

$$R_{\theta_{CS}} := 1.6$$

$$R_{\theta_{SA_d}} := \frac{T_{j_{max}} - T_A}{P_{diode}} - R_{\theta_{CS}} - R_{\theta_{JC}}$$

$$R_{\theta_{SA_d}} = 24.02$$

Peak inverse voltage :

$$PIV_{diode} := V_{IN_{maxDC}} \cdot N_{ps} + V_{out} + V_f$$

$$PIV_{diode} = 113.492$$

* Power loss in diode bridge and in bulk capacitor

Bulk cap:

$$C_{bulk2} := 100 \cdot 10^{-6}$$

$$ESR_{bulk} := 0.360$$

Minimum bulk voltage (including ripple):

$$V_{min2} := V_{IN_{low}} \cdot \sqrt{2} - V_{BulkRipple}$$

Threshold voltage of one diode of the diode bridge:

$$V_{f0} := 0.74$$

Dymanic resistance of one diode of the diode bridge:

$$R_{d2} := 0.07$$

(The diode bridge used is a KBU4K)

Line frequency:

$$F_{line} := 50$$

$$I_{in_{moy}} := \frac{I_{pk_low} \cdot d_{low}}{2}$$

$$I_{in_{moy}} = 0.434$$

Diode conduction time:

$$t_c := \frac{1}{4 \cdot F_{line}} - \frac{\arcsin\left(\frac{V_{min2}}{V_{IN_{low}} \cdot \sqrt{2}}\right)}{2 \cdot \pi \cdot F_{line}}$$

$$t_c = 1.595 \times 10^{-3}$$

$$I_{bulkRMS} := I_{in_{moy}} \cdot \sqrt{\frac{2}{3 \cdot F_{line} \cdot t_c} - 1}$$

$$I_{bulkRMS} = 1.177$$

$$P_{ESR_{bulk}} := ESR_{bulk} \cdot I_{bulkRMS}^2$$

$$P_{ESR_{bulk}} = 0.499$$

$$I_{diodeRMS} := \frac{I_{in_{moy}}}{\sqrt{3 \cdot F_{line} \cdot t_c}}$$

$$I_{diodeRMS} = 0.887$$

$$I_{diode\text{moy}} := \frac{I_{in\text{moy}}}{2}$$

$$I_{diode\text{moy}} = 0.217$$

$$P_{diodeIN} := \left(\frac{I_{in\text{moy}}}{2} \cdot V_{f0} + R_{d2} \cdot I_{diodeRMS}^2 \right) \cdot 4$$

$$P_{diodeIN} = 0.863$$

$$I_{inRMS} := \frac{\sqrt{2} \cdot I_{in\text{moy}}}{\sqrt{3} \cdot F_{line} \cdot t_c}$$

$$I_{inRMS} = 1.255$$

* Transfo losses

Secondary winding DC resistance: $R_{secDC} := 0.008 \cdot \Omega$

Secondary winding AC resistance: $R_{secAC} := 0.03 \cdot \Omega$

Secondary winding DC resistance: $R_{priDC} := 0.1 \cdot \Omega$

Secondary winding AC resistance: $R_{priAC} := 0.18 \cdot \Omega$

Core loss: $P_{core} := 0.2 \cdot W$

$$P_{sec} := R_{secAC} \cdot I_{CoutRMS_low}^2 + R_{secDC} \cdot I_{out}^2$$

$$P_{sec} = 0.645 \Omega$$

$$P_{pri} := R_{priAC} \cdot \left(I_{PRMS_low}^2 - I_{in\text{moy}}^2 \right) + R_{priDC} \cdot I_{in\text{moy}}^2$$

$$P_{pri} = 0.131 \Omega$$

$$P_{transfo} := P_{sec} + P_{pri} + P_{core}$$

$$P_{transfo} = \blacksquare$$

* Total losses at max input power

$$P_{loss} := P_{transfo} + P_{ESRbulk} + P_{diodeIN} + P_{diode} + P_{MOS2} + P_{Clp} + P_{sense} + P_{Cout}$$

$$P_{loss} = \blacksquare$$

Estimated efficiency at low line: $effi := \frac{P_{out}}{P_{out} + P_{loss}} \cdot 100$

$$effi = \blacksquare$$

* Synchronous rectification calculation

Mosfet : 1 MOS IRFS4321PBF BV = 150 V D²PAK

RdsON @ Tj = 110°C : $R_{dsON2} := 30 \cdot 10^{-3}$

$$C_{OSS2} := 390 \cdot 10^{-12}$$

Body diode voltage drop: $V_{f2} := 0.5$

NCP4302 delay time: $t_{delay} := 70 \cdot 10^{-9}$

At minimum input voltage:

$$P_{ON3} := I_{sRMS}^2 \cdot R_{dsON2}$$

$$P_{ON3} = 1.013$$

$$P_{d3} := V_{f2} \cdot I_{out} \cdot F_{sw} \cdot t_{delay}$$

$$P_{d3} = 4.974 \times 10^{-3}$$

$$P_{SyncR} := P_{ON3} + P_{d3}$$

$$P_{SyncR} = 1.018$$

Total power loss with synchronous rectification

$$P_{loss2} := P_{transfo} + P_{ESRbulk} + P_{diodeIN} + P_{SyncR} + P_{MOS2} + P_{Clp} + P_{sense} + P_{Cout}$$

$$P_{loss2} = \blacksquare$$

Estimated efficiency with SR:
$$effi2 := \frac{P_{out}}{P_{out} + P_{loss2}} \cdot 100$$

$$effi2 = \blacksquare$$

* Compensating the power supply

FB pullup resistor inside NCP1380:
$$R_{pullup} := 18 \cdot 10^3$$

Current in the TL431 bridge:
$$I_{bridge} := 250 \cdot 10^{-6}$$

Optocoupler transfer ratio:
$$CTR := 0.6$$

Optocoupler parasitic capacitance:
$$C_{opto} := 2.5 \cdot 10^{-9}$$

Desired Cross over frequency:
$$f_c := 800$$

Desired phase margin:
$$PM := 60$$

$$R_{lower} := \frac{2.5}{I_{bridge}} \quad R_{lower} = 1 \times 10^4$$

$$R_{upper} := \frac{V_{out} - 2.5}{I_{bridge}} \quad R_{upper} = 6.6 \times 10^4$$

$$R_{load} := \frac{V_{out}}{I_{out}}$$

$$R_{eq} := R_{load} \cdot \frac{V_{out} + N_{ps} \cdot V_{IN_{minDC}}}{2 \cdot V_{out} + N_{ps} \cdot V_{IN_{minDC}}} \quad R_{eq} = 4.337$$

$$G_0 := \frac{\eta \cdot V_{IN_{minDC}} \cdot R_{load}}{8 \cdot R_{sense} \cdot (2 \cdot V_{out} + N_{ps} \cdot V_{IN_{minDC}})} \quad G_0 = 4.91$$

$$V_c := \frac{2 \cdot P_{out} \cdot 4 \cdot R_{sense} \cdot (V_{out} + N_{ps} \cdot V_{IN_{minDC}})}{V_{out} \cdot V_{IN_{minDC}} \cdot \eta}$$

$$G_x(f) := G_0 \cdot \frac{(1 + R_{ESR} \cdot C_{out} \cdot 2 \cdot \pi \cdot f \cdot i) \cdot \left[1 - \frac{L_p \cdot V_c}{8 \cdot R_{sense} \cdot V_{IN_{minDC}}} \cdot (2 \cdot \pi \cdot f \cdot i) \right]}{(1 + R_{eq} \cdot C_{out} \cdot 2 \cdot \pi \cdot f \cdot i) \cdot (1 + R_{pullup} \cdot C_{opto} \cdot 2 \cdot \pi \cdot f \cdot i)}$$

$$PS := \arg(G_x(f_c)) \cdot \frac{180}{\pi} \quad PS = -98.718$$

Needed phase boost:

$$\text{Boost} := \text{PM} - \text{PS} - 90$$

$$\text{Boost} = 68.718$$

$$k := \tan\left[\left(\frac{\text{Boost}}{2} + 45\right) \cdot \frac{\pi}{180}\right]$$

$$k = 5.322$$

$$f_{pc} := k \cdot f_c$$

$$f_{pc} = 4.258 \times 10^3$$

$$f_{zc} := \frac{f_c}{k}$$

$$f_{zc} = 150.306$$

$$C_{zero} := \frac{1}{2 \cdot \pi \cdot R_{upper} \cdot f_{zc}}$$

$$C_{zero} = 1.604 \times 10^{-8}$$

$$C_{pole} := \frac{1}{2 \cdot \pi \cdot R_{pullup} \cdot f_{pc}}$$

$$C_{pole} = 2.077 \times 10^{-9}$$

$$G_s := 20 \cdot \log(|G_x(f_c)|)$$

$$G_s = -15.826$$

$$R_{led} := \frac{R_{pullup} \cdot \text{CTR}}{\frac{-G_s}{10^{20}}}$$

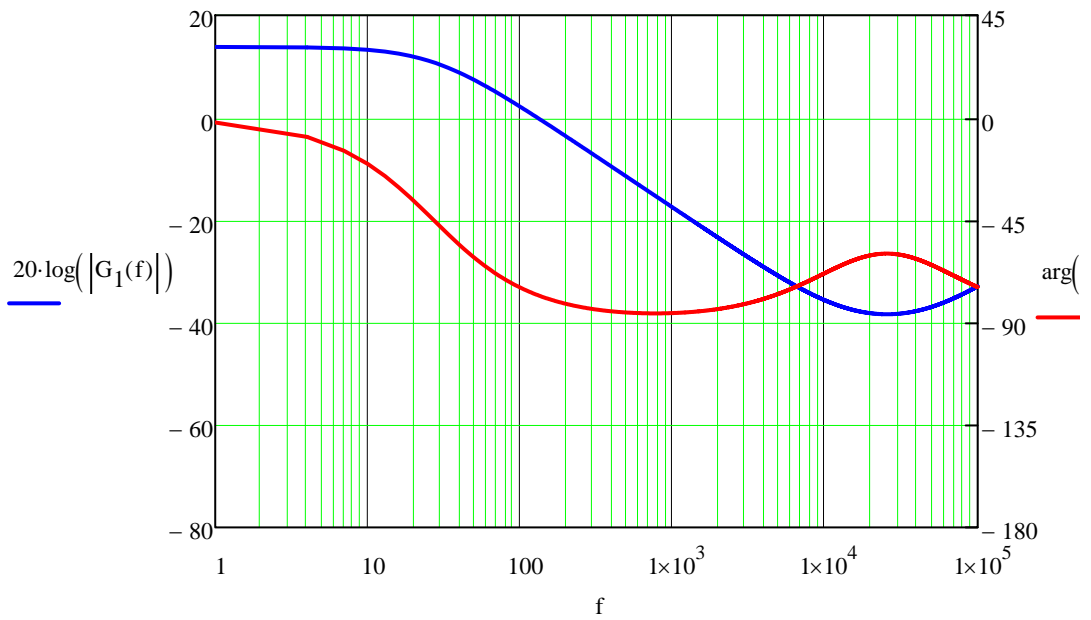
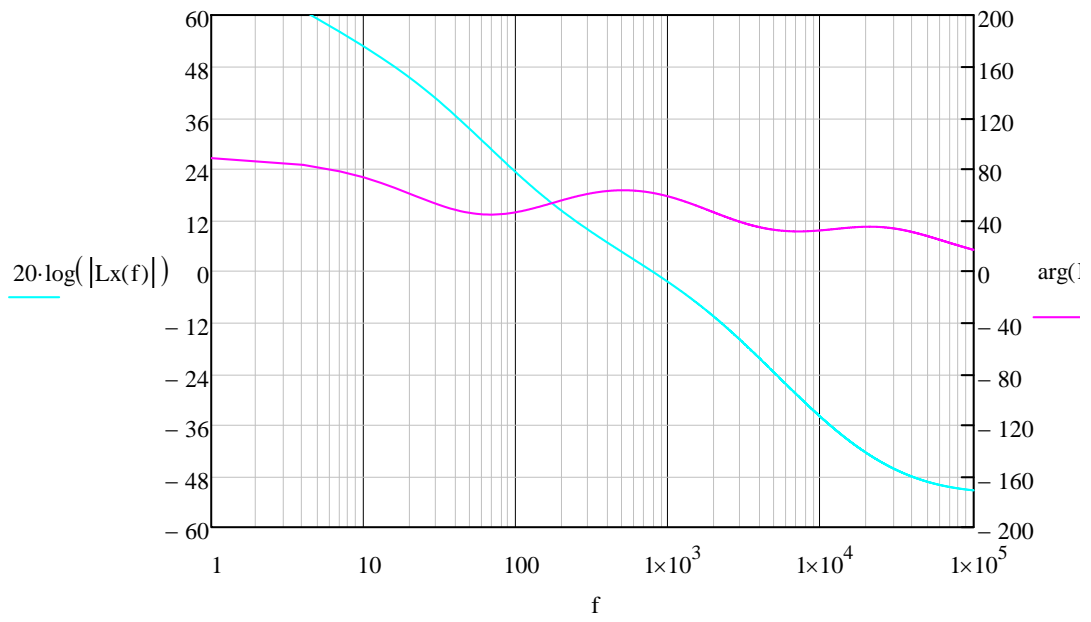
$$R_{led} = 1.746 \times 10^3$$

$$H_0 := R_{pullup} \cdot \frac{\text{CTR}}{R_{led}}$$

$$f := 1,4 .. 100000$$

$$G_1(f) := G_0 \cdot \frac{(1 + R_{ESR} \cdot C_{out} \cdot 2 \cdot \pi \cdot f \cdot i) \cdot \left[1 - \frac{L_p \cdot V_c}{8 \cdot R_{sense} \cdot V_{IN_{minDC}} \cdot (2 \cdot \pi \cdot f \cdot i)}\right]}{(1 + R_{eq} \cdot C_{out} \cdot 2 \cdot \pi \cdot f \cdot i)}$$

$$Lx(f) := -G_0 \cdot H_0 \cdot \frac{(1 + R_{upper} \cdot C_{zero} \cdot 2 \cdot \pi \cdot f \cdot i) \cdot (1 + R_{ESR} \cdot C_{out} \cdot 2 \cdot \pi \cdot f \cdot i) \cdot \left[1 - \frac{L_p \cdot V_c}{8 \cdot R_{sense} \cdot V_{IN_{min}}}\right]}{[1 + R_{pullup} \cdot (C_{pole} + C_{opto}) \cdot 2 \cdot \pi \cdot f \cdot i] \cdot (R_{upper} \cdot C_{zero} \cdot 2 \cdot \pi \cdot f \cdot i) \cdot (1 + R_{eq} \cdot C_{out} \cdot 2 \cdot \pi \cdot f \cdot i)}$$



$$\begin{aligned}
 \text{VCO1}(V_{fb}, \text{VIN}, t_{prop}) := & \begin{cases}
 \text{Fsw} \leftarrow \frac{I_{Ct}}{Ct \cdot \left(6.5 - \frac{10}{3} \cdot V_{fb}\right)} \\
 \text{Ip} \leftarrow \left(\frac{V_{fb}}{4 \cdot \text{Rsense}} + \text{VIN} \cdot \frac{t_{prop}}{L_p} \right) & \text{if } V_{fb} > 0.8 \\
 \text{Ip} \leftarrow \left(\frac{0.8}{4 \cdot \text{Rsense}} + \text{VIN} \cdot \frac{t_{prop}}{L_p} \right) & \text{if } V_{fb} \leq 0.8 \\
 \text{Pout} \leftarrow \frac{1}{2} \cdot L_p \cdot \text{Ip}^2 \cdot \text{Fsw} \cdot \eta \\
 t_{demag} \leftarrow \frac{\text{Ip} \cdot L_p \cdot \text{Nps}}{V_{out} + V_f} \\
 \begin{pmatrix} \text{Pout} \\ \text{Ip} \\ \text{Fsw} \\ t_{demag} \end{pmatrix}
 \end{cases} \\
 \text{VCO1}(0.8, 100, 0) = & \begin{pmatrix} 2.389 \\ 0.87 \\ 2.609 \times 10^4 \\ 3.129 \times 10^{-6} \end{pmatrix}
 \end{aligned}$$

* The function below calculate the switching frequency and the corresponding valley for an increasing output power.

Indeed, as there is hysteresis for the valley lockout, for a given output power, we can have two different couple of (Ip, Fsw) delivering the same output power.

INPUTS: - Pmin: the lowest starting output power

- Rsense: sense resistor

- VIN: the DC input voltage

- t_{prop} : the total propagation delay (current sense +MOSFET).

At low line, it can be neglected: put $t_{prop} = 0$

- inc: incrementing calculation step for the output power

OUTPUT: a matrix containing the switching frequency, the peak current and the operating valley at different output powers.

Line 0: output power

Line 1: peak current

Line 2: valley number

```

ZI(Rsense, VIN, tprop, inc) :=
  j ← 0
  Vfb ← 0.3
  while (0.3 ≤ Vfb < 1.4)
    v ← VCO1(Vfb, VIN, tprop)
    Pout ← v0
    (break) if (Vfb ≥ 1.4)
    m0,j ← Pout
    m1,j ← v1
    m2,j ← v2
    m3,j ← 1351
    m4,j ← v3
    j ← j + 1
    Vfb ← Vfb + 0.04
  Vfb ← 0.82
  Pout ← Pout + 0.5
  while (0.8 < Vfb < 1.6)
    n ← 3
    v ← chrono(Pout, n, VIN)
    Vfb ←  $\left( v_0 \cdot R_{sense} - \frac{VIN \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$ 
    (break) if (Vfb < 0.8) ∨ (Vfb > 1.6)
    m0,j ← Pout
    m1,j ← v0
    m2,j ← v1
    m3,j ← n + 1
    m4,j ← v2
    m5,j ← Rdson110 · (v3)2
    m6,j ←  $\frac{1}{2} \cdot C_{OSS} \cdot \left( VIN - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1$ 
    j ← j + 1
    Pout ← Pout + inc
  while (0.9 ≤ Vfb < 1.8)
    n ← 2
    v ← chrono(Pout, n, VIN)
    Vfb ←  $\left( v_0 \cdot R_{sense} - \frac{VIN \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$ 

```

```

(break) if ( $V_{fb} < 0.9$ )  $\vee$  ( $V_{fb} > 1.8$ )
 $m_{0,j} \leftarrow P_{out}$ 
 $m_{1,j} \leftarrow v_0$ 
 $m_{2,j} \leftarrow v_1$ 
 $m_{3,j} \leftarrow n + 1$ 
 $m_{4,j} \leftarrow v_2$ 
 $m_{5,j} \leftarrow R_{dson110} \cdot (v_3)^2$ 
 $m_{6,j} \leftarrow \frac{1}{2} \cdot C_{OSS} \cdot \left( VIN - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1$ 
 $j \leftarrow j + 1$ 
 $P_{out} \leftarrow P_{out} + inc$ 
while ( $1.2 \leq V_{fb} < 2.0$ )
   $n \leftarrow 1$ 
   $v \leftarrow \text{chrono}(P_{out}, n, VIN)$ 
   $V_{fb} \leftarrow \left( v_0 \cdot R_{sense} - \frac{VIN \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$ 
  (break) if ( $V_{fb} < 1.2$ )  $\vee$  ( $V_{fb} > 2.0$ )
   $m_{0,j} \leftarrow P_{out}$ 
   $m_{1,j} \leftarrow v_0$ 
   $m_{2,j} \leftarrow v_1$ 
   $m_{3,j} \leftarrow n + 1$ 
   $m_{4,j} \leftarrow v_2$ 
   $m_{5,j} \leftarrow R_{dson110} \cdot (v_3)^2$ 
   $m_{6,j} \leftarrow \frac{1}{2} \cdot C_{OSS} \cdot \left( VIN - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1$ 
   $j \leftarrow j + 1$ 
   $P_{out} \leftarrow P_{out} + inc$ 
while ( $2.0 \leq V_{fb} < 3.2$ )
   $n \leftarrow 0$ 
   $v \leftarrow \text{chrono}(P_{out}, n, VIN)$ 
   $V_{fb} \leftarrow \left( v_0 \cdot R_{sense} - \frac{VIN \cdot t_{prop}}{L_p} \cdot R_{sense} \right) \cdot 4$ 
  (break) if ( $V_{fb} \geq 3.2$ )
   $m_{0,j} \leftarrow P_{out}$ 
   $m_{1,j} \leftarrow v_0$ 
   $m_{2,j} \leftarrow v_1$ 

```


$$\begin{array}{l}
m_{3,j} \leftarrow n + 1 \\
m_{4,j} \leftarrow v_2 \\
m_{5,j} \leftarrow R_{dson110} \cdot (v_3)^2 \\
m_{6,j} \leftarrow \frac{1}{2} \cdot C_{OSS} \cdot \left(VIN - \frac{V_{out} + V_f}{N_{ps}} \right)^2 \cdot v_1 \\
j \leftarrow j + 1 \\
P_{out} \leftarrow P_{out} + inc
\end{array}$$

$$PatVINmaxD := Z_D(P_{out}, R_{sense}, VIN_{high} \cdot \sqrt{2}, t_{prop}, decr_P)$$

5	6	7	8	9	10
55	54	53	52	51	50
2.577	2.533	2.489	2.444	2.4	2.356
6.835 · 10 ⁴	6.948 · 10 ⁴	7.064 · 10 ⁴	7.185 · 10 ⁴	7.309 · 10 ⁴	7.438 · 10 ⁴
1	1	1	1	1	1
9.275 · 10 ⁻⁶	9.115 · 10 ⁻⁶	8.956 · 10 ⁻⁶	8.796 · 10 ⁻⁶	8.637 · 10 ⁻⁶	8.477 · 10 ⁻⁶
0.526	0.508	0.49	0.472	0.455	0.437
0.059	0.06	0.061	0.063	0.064	...

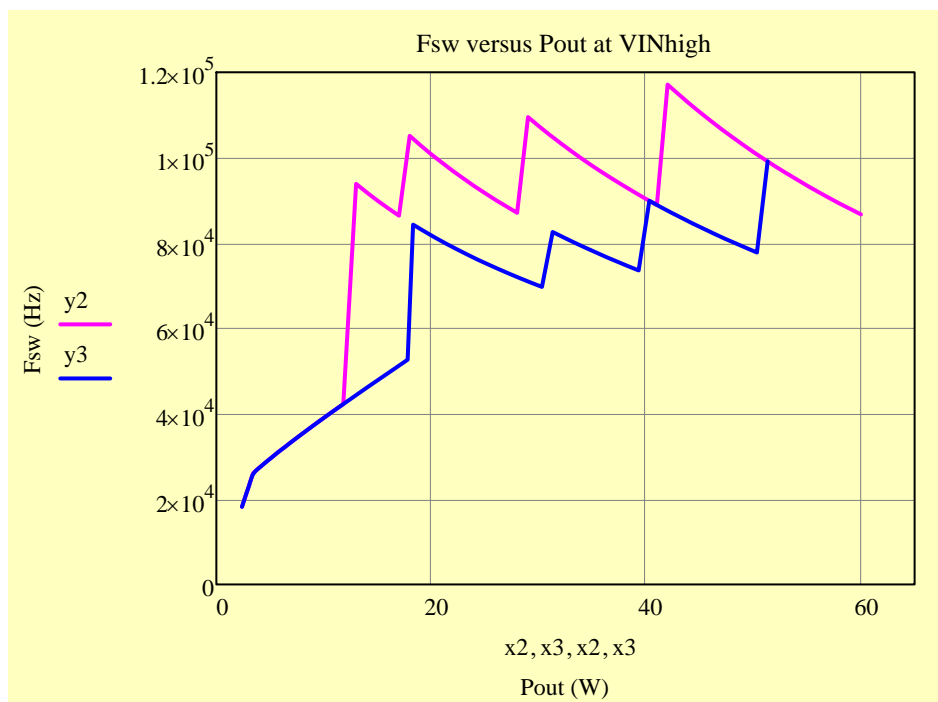
5	6	7	8	9	10
55	54	53	52	51	50
2.205	2.167	2.13	2.093	2.056	2.019
9.343 · 10 ⁴	9.49 · 10 ⁴	9.643 · 10 ⁴	9.8 · 10 ⁴	9.962 · 10 ⁴	1.013 · 10 ⁵
1	1	1	1	1	1
7.933 · 10 ⁻⁶	7.799 · 10 ⁻⁶	7.666 · 10 ⁻⁶	7.532 · 10 ⁻⁶	7.398 · 10 ⁻⁶	7.264 · 10 ⁻⁶
0.225	0.217	0.21	0.202	0.195	0.187
0.707	0.718	0.73	0.742	0.754	...

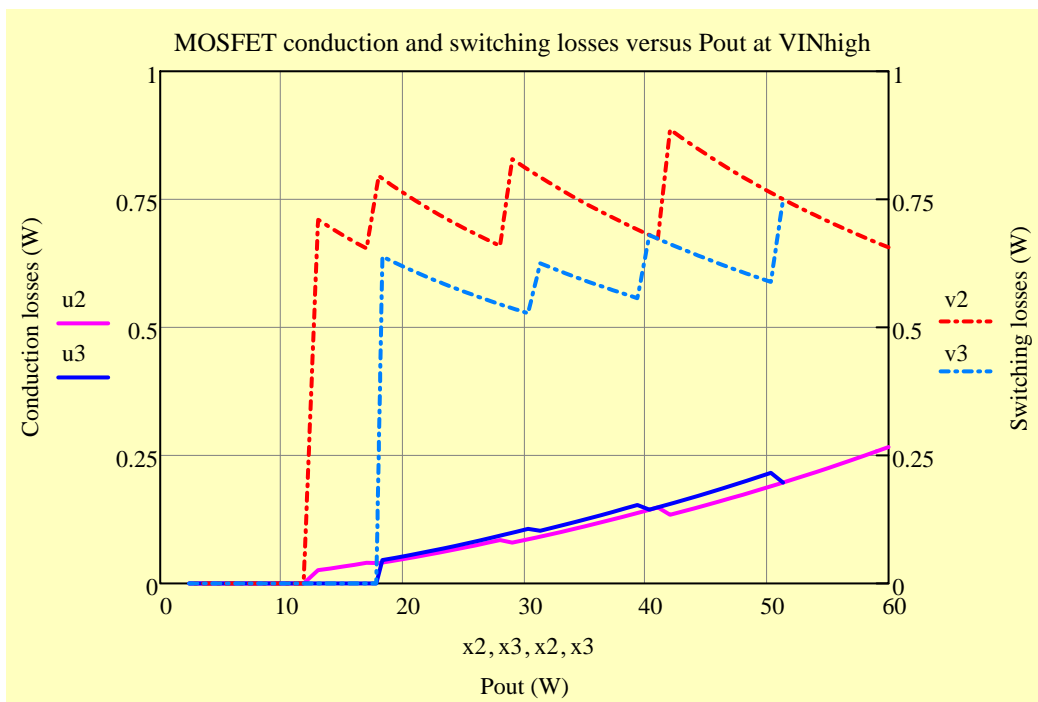
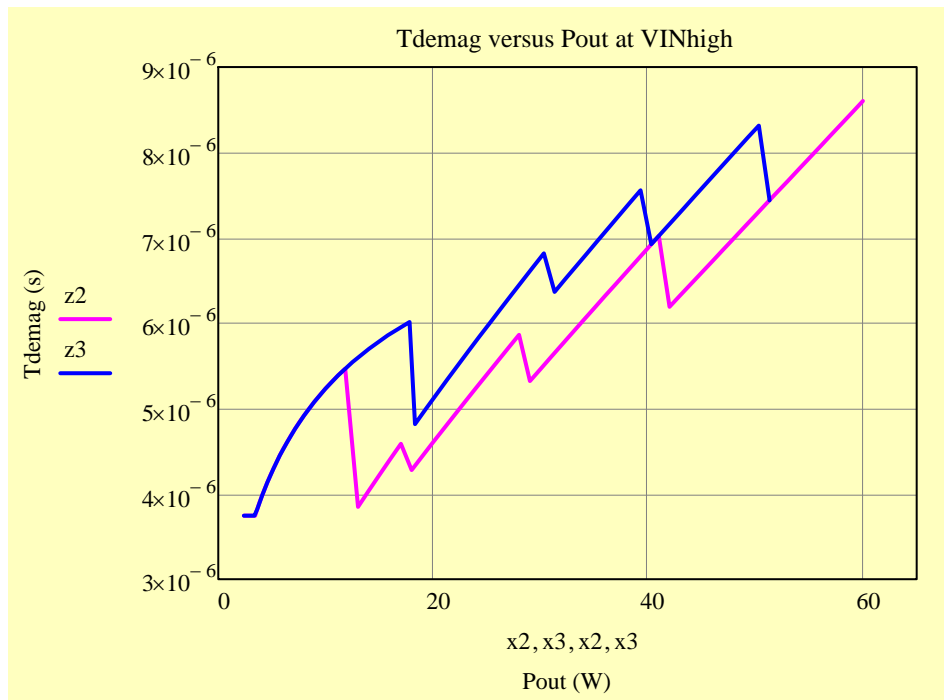
$$PatVINmaxI := Z_I(R_{sense}, VIN_{high} \cdot \sqrt{2}, t_{prop}, decr_P)$$

5	6	7	8	9	10
---	---	---	---	---	----

	5	6	7	8	9	10
5	2.286	2.351	2.42	2.493	2.57	2.652
5	0.955	0.955	0.955	0.955	0.955	0.955
4	$2.069 \cdot 10^4$	$2.128 \cdot 10^4$	$2.19 \cdot 10^4$	$2.256 \cdot 10^4$	$2.326 \cdot 10^4$	$2.4 \cdot 10^4$
3	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$
5	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$	$3.437 \cdot 10^{-6}$
0	0	0	0	0	0	...

	5	6	7	8	9
2	2.714	2.791	2.873	2.959	3.051
1	1.041	1.041	1.041	1.041	1.041
4	$2.069 \cdot 10^4$	$2.128 \cdot 10^4$	$2.19 \cdot 10^4$	$2.256 \cdot 10^4$	$2.326 \cdot 10^4$
3	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$	$1.351 \cdot 10^3$
6	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$	$3.745 \cdot 10^{-6}$
0	0	0	0	0	0
0	0	0	0	0	...





0)

prop, decrp)_{2,0})

$$\frac{DC}{(2 \cdot \pi \cdot f \cdot i)} \left[\frac{out \cdot 2 \cdot \pi \cdot f \cdot i}{DC} \right]$$

$$L_x(f) \cdot \frac{180}{\pi}$$

-

$$G_1(f) \cdot \frac{180}{\pi}$$

-